

Discussion

Risk-Taking Dynamics and Financial Stability An Evolutionary Perspective

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Summary

- ▶ **This paper**
 - ▶ Financial wealth distribution/accumulation \Rightarrow Aggregate risk taking
 - ▶ *Distributions* \Rightarrow *Aggregates*
- ▶ Positive results
 - ▶ Volatility and procyclicality
- ▶ Normative results

Environment

- ▶ Bankers/investors ($i = 1, \dots, N$) solve

$$\max_{c_{it}, k_{it+1}, S_{it}} \mathbb{E}_i \left[\sum_t^{\infty} (\beta_i)^t \log(c_{it}) \right]$$

$$c_{it} + k_{it+1} = \tilde{R}(S_{it}) k_{it}$$

- ▶ Two decisions
 - ▶ Consumption/savings
 - ▶ Investment/portfolio decision

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- ▶ Two decisions
 - ▶ Consumption/savings
 - ▶ Investment/portfolio decision
- ▶ Heterogeneity in
 1. Discount factor
 2. Beliefs
 3. **Investment opportunities**

Solution

- ▶ Log utility helpful for aggregation
 - ▶ Linear consumption/investment policies

$$k_{it+1} = \beta_i \tilde{R}(S_{it}) k_{it}$$

- ▶ Myopic portfolio decision

$$S_{it}^* \in \arg \max \mathbb{E}_i [\log (R_{it+1})]$$

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- ▶ Result:
 - ▶ Growth-optimal portfolio: investors with dominated expected log returns disappear
- ▶ Motivates the following assumption
 - ▶ All investors have same expected log return, different volatilities

First scenario

- ▶ Two states (high and low), two investors (risky and safe)
- ▶ Proposition 1:
 - ▶ **(Volatility)** The higher the amount of capital in the hands of risky investors today, the higher the future volatility of capital
 - ▶ **(Pro-Cyclicality)** After positive shocks, capital losses are higher after a bad shock and capital is more volatile
- ▶ *Distributions* \Rightarrow *Aggregates*

First-Best/Constrained Problems

1. First-best

$$\max \sum_i \theta^i \sum \beta_i^t \mathbb{E} [\log (c_{it})]$$

$$\sum_i (c_{it} + k_{it+1}) = \sum_i \tilde{R} (S_{it}) k_{it}$$

▶ Solution:

- ▶ Breaks the link between past returns and investment
- ▶ Constant optimal share of capital
- ▶ Replicating complete markets

2. Constrained planner: intermediate result

Extensions

1. Spillovers: introducing a labor sector
 - ▶ Planner finds optimal to have smaller fluctuations, higher mean levels (Similar flavor to previous results)
 - ▶ Scope for bailouts (to increase wages)
 - ▶ Emphasis on bailouts affecting selection

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 - ▶ Introduced as technology for capital reallocation
 - ▶ “Completing markets”
 - ▶ Allows to implement first-best
 - ▶ Exploration of different “reallocation matrices”

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3. Policy results
 - ▶ Emphasis on “dynamic financial composition”

Comments/Thoughts

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 - ▶ More to explore
 - ▶ How do (positive) results change with form of investment opportunities, beliefs, preferences?

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3. Scope for more refined quantification
 - ▶ Rich cross section
4. Why infinitely lived investors?
 - ▶ Suggestion: OLG dynamics instead of log utility
 - ▶ Different predictions for ergodic distributions
 - ▶ Breakdown of growth optimal portfolio

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5. Evolutionary dynamics and welfare
 - ▶ Evolutionary dynamics: simple behavioral outcomes (often ad-hoc or myopic) to focus on dynamics/cross-section
 - ▶ But this paper brings welfare into the picture
 - ▶ Is there a big normative result can we get out of it?
 - ▶ Are compositional effects of policy different from other effects?